

**BIOMED 201 - Programming & Modeling for BME**

Midterm Exam, 2013.05.07, Instructor: Ahmet Sacan

Sign the honor code below. **No credit will be given for the exam without a signed pledge.**

*I have neither given nor received aid on this examination.*  
Signed: \_\_\_\_\_

**There are 12 questions in this exam. Turn in Questions 1-8 before you start working on Questions 9-12. You can choose between questions 9 and 10; and choose between questions 11 and 12. Submit your programs for Questions 9-12 on ProgrammingBank, in addition to turning in your paper exam. Sign off your submission before exiting the room.**

**Q1 (5 pts).** *Indexing.* Let **A** be a square matrix with **R** rows. Write a single statement that will set the antidiagonal elements of A to zero. Antidiagonal elements of A are A(R,1), A(R-1,2), ..., A(2,R-1), A(1,R). Do not use loops.

**Q2 (5 pts).** *Creating vectors.* Fill in the blanks below with what Matlab would display for the given expression.

```
>> [[7:-2:3] reshape(repmat([3 4],2,1),1,[ ])]  
ans =  
_____
```

**Q3 (5 pts).** *Binary and hexadecimal numbers.* In the first box below, write down the binary representation of the decimal number **170**. In the second box, write down the hexadecimal representation of the decimal number **170**.

0x

```
function y = apple( x )  
global a;  
persistent b;  
if isempty(a); a=2; end  
if isempty(b); b=3; end  
a=a*2;  
b=b*3;  
y = a + b + x;
```

**Q4 (5 pts).** *Variable scope.* Fill in the blanks in the output.

```
>> x = apple( 5 );
>> global a; a = 7;
>> y = apple( 9 );
>> [x y a]
ans =
```

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**Q5 (5 pts).** *Indexing.*

Let **M** be a matrix with **1000** rows and **2000** columns. **M(12345)** can equivalently be expressed as **M(x,y)**. What are the values

of **x** and **y**?

**x**= \_\_\_\_\_, **y**= \_\_\_\_\_

**Q6 (5 pts).** *Vectorizing code, element-wise operations, logical indexing.* Let **X,Y,Z,M** be column matrices with the same size. Rewrite the for loops below without any using loops. You may define additional variables.

```
M=zeros(0,3);
for i=1:20
    for j=1:20
        for k=1:20
            if i*i+j*j==k*k
                M(end+1,:)= [i j k];
            end
        end
    end
end; end; end
```

```
[X,Y,Z]=meshgrid(1:20,1:20,1:20);
```

**Q7 (10 pts).** *Nested for loops.* Fill in the blanks in the output below.

```
>> x = zeros(2,0);
>> for a = [ 3 5 ]
>>     for b = a*10:a*10+1
>>         x([2 1],end+1:end+2) = [ a b; a+1 b+1];
>>     end; end
>> disp ( x )
```

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**Q8 (10 pts).** *Operator precedence, logic.* Fill in the blanks in the outputs below.

```
>> disp( -5 >= -3 >= 0 )
```

---

```
>> v=[5 10 -10 10-10 ];  
>> disp([any(v) all(v) numel(v)])
```

---

```
>> disp( 8 < 9 - 2 )
```

---

```
>> X=randi(2,1,10)-1;  
>> disp(mean(double((X & ~X)|(X | ~X))))
```

---



You may attempt both Q11 and Q12. The one with the higher grade will be counted for your midterm grade.

**Q11 (20 pts).** *Loops & selection; or vectorized code & logical indexing.* Write a function **turkey1994(N)** that takes an integer **N** and returns a 2-column matrix where each row contains integers **a,b** where  $1 \leq a < b \leq N$  and  $a^2 + b^2 + 3$  is divisible by **ab**.

```
>> disp(turkey1994(20))
     1     2
     1     4
     2     7
     4    19
```

**Q12 (20 pts).** *Mathematical expressions.* Sigmoid function has found use in a number of statistical regression and mathematical modeling applications. Consider the sigmoid function defined by:

$$f(x) = \frac{1}{1 + e^{-kx}}$$

where **x** is real and **k** is a positive constant. The value of **f(x)** can be approximated by making use of the following formula:

$$e^t = \lim_{n \rightarrow \infty} \left(1 + \frac{t}{n}\right)^n$$

In this question, you will write a function **sigmoidlike(x,k,n)** that approximates **f(x)** using:

$$f(x) \approx \frac{1}{1 + \left(1 - \frac{kx}{n}\right)^n}$$

If **x** is a matrix, the function output should be a matrix of the same size, where each element is the sigmoid approximation the corresponding input element.

```
>> disp(sigmoidlike(0.5,4,5))
     0.9279
>> disp(sigmoidlike(0.5,4,20))
     0.8916
>> disp(sigmoidlike([-1:.5:1],2,10))
     0.1390     0.2783     0.5000     0.7415     0.9030
```